Beyond the Standard Model

Lecture #1: Overview of BSM



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outline of these lectures

- Lecture 1: Overview of BSM
 - The vastness of theory space.
 - Major Beyond the Standard Model (BSM) frameworks.
 - Constraints on BSM models from current precision data.
 - BSM models can be phenomenological "look-alikes".
 - BSM models as templates for LHC analyses.

- Lecture 2: Supersymmetry
 - Why SUSY is the dominant BSM framework.
 - SUSY as a space-time symmetry.
 - Softly-broken SUSY and the Higgs naturalness problem.
 - The MSSM.
 - Radiative electroweak symmetry breaking.
 - **R**-parity conservation and dark matter.
 - SUSY production at LHC.

- Lecture 3: Missing Energy Look-alikes
 - Realistic SUSY models and their "mediators".
 - mSUGRA and LHC "benchmarks".
 - What is the LSP?
 - Universal Extra Dimensions, KK-parity, and the LKP.
 - Little Higgs, T-parity, and the LTP.
 - Look-alikes at the LHC.

- Lecture 4: Exotica
 - Warped extra dimensions.
 - The AdS/CFT correspondence.
 - Higgsless models.
 - Unparticles.
 - Quirks.
 - Black Holes and the end of everything.









theorists are trouble

BSM = Beyond the Standard Model

- Not all BSM phenomena are observable (with human technology and/or funding).
- The full BSM "Theory Space" of possible SM extensions has NOT been mapped out.
- "Theory Space" has high dimensionality (maybe space-time does too), and contains an infinite number of possibilities.
- But given experimental resolutions/limitations, there are in practice a finite number of possibilities to sort out.
- And many, many, many are already ruled out.

experimental evidence for BSM physics

- dark matter and dark energy:
 - see lectures by K. Olive
- neutrinos:
 - see lectures by M. Lindner
- persistent discrepancies in precision measurements:
 - g-2 of the muon, etc.
 - see lectures by Y. Grossman, M. Beneke
- hints from cosmic radiation:
 - see lectures by M. Teshima

theoretical arguments for BSM physics

- Problem of Higgs naturalness
- Problem of relating gravity to the gauge forces
- Problem of flavor hierarchies in fermion masses and mixings
- Problem of baryogenesis and CP violation

Problem of Higgs naturalness

- The Standard Model is renormalizable, meaning that although there are ultraviolet (UV) divergences in the quantum corrections, I can remove any explicit dependence on the UV cutoff
- However the couplings of the SM "run", i.e. they have different values at different energies.
- We can ask what do the SM couplings look like at very, very high energies:



- The SM gauge couplings don't unify, but they do come together around $10^{13} 10^{16}$ GeV.
- At even higher energies, hypercharge becomes strongly interacting, and the SM breaks down.

Problem of Higgs naturalness

- So there is some maximum energy scale Λ beyond which I shouldn't be running the SM couplings. Denote the SM couplings evaluated at this scale by g₁(Λ), g₂(Λ), g₃(Λ), m_H(Λ), λ(Λ),...
- Now it would also be reasonable to integrate out the effects of some of the very high energy SM physics, say all of the effects due to SM momenta between $\Lambda/2$ and Λ
- This gives me the SM couplings at energy scale $\Lambda/2$ as functions of the SM couplings at the original maximum UV scale Λ .
- For the gauge couplings the difference is just a logarithmic rescaling...



• But
$$\mathbf{m_h^2}(\Lambda/2) = \mathbf{m_h^2}(\Lambda) + \sim \frac{1}{16\pi^2}\Lambda^2$$

• So the only way to get $\mathbf{m}_{\mathbf{h}}^{\mathbf{2}}(1 \text{ TeV}) << \mathbf{m}_{\mathbf{h}}(\Lambda)$ is if $\mathbf{m}_{\mathbf{h}}(\Lambda)$ were magically "fine-tuned".

Problem of Higgs naturalness

•There are three ways around this problem:

- 1. We live in a fine-tuned universe, otherwise "intelligent life" wouldn't exist (anthropic principle).
- 2. The maximum UV scale Λ is only a few hundred GeV (but this is ruled out already by experiment).
- 3. The limit $m_h \rightarrow 0$ has enhanced symmetry, so the statement that $m_h << \Lambda$ is just telling us that some (NEW!) symmetry is not-too-badly broken.



Problem of flavor hierarchies in fermion masses and mixings

- We have just seen that the Higgs naturalness problem is also a hierarchy problem.
- The SM has additional hierarchies in fermion mass scales.
- These are not naturalness problems because chiral symmetry protects the masses of fermions.
- But it is still very bothersome that we have no explanation for

$$\frac{m_t}{m_u}\sim 30,000 \qquad \frac{m_\tau}{m_e}\sim 3,500 \qquad \frac{m_t}{m_b}\sim 40 \qquad \frac{m_c}{m_s}\sim 14 \quad \dots$$

Problem of baryogenesis and CP violation

- The universe (within a radius of ~1000 megaparsecs) has a net excess of baryons over antibaryons.
- The SM has CP violation from Yukawa couplings (CKM), and it has nonperturbative processes that should violate baryon number conservation at very high temperatures.
- This would have produced some baryon excess in the early universe, during the electroweak-breaking phase transition.
- But the net SM baryon excess is many orders of magnitude less than what we see.
- There is an additional source of Standard Model CP violation from QCD, but these "strong CP" effects are not seen in experiment.

ingredients of BSM models

- New particles:
 - These may be heavier "partners" of SM particles, or not.
 - They may have SM charges, or not.
 - They may couple directly to SM matter, or not.
 - They may be fundamental, composite (i.e. bound states), or perhaps they are not even particles.

ingredients of BSM models

- New symmetries:
 - Broken symmetries: e.g.
 - spontaneously broken supersymmetry,
 - approximate conformal symmetry,
 - global symmetries that are explicitly broken or partially gauged.
 - Unbroken symmetries: e.g.
 - R-parity,
 - KK parity.

New unbroken symmetries often imply new stable particles.

ingredients of BSM models

•New gauge or Yukawa interactions:

- These new forces may be weak or strong at the relevant energy scales.
- They may be partially or fully unified with SM forces at some higher energy scales.

- •New degrees of freedom:
 - e.g. extra dimensions, new charges, "stringy" excitations.
 - SM particles may or may not access these degrees of freedom.

frameworks, models, scenarios

- Supersymmetry is **NOT** a BSM model; it is a BSM framework containing an infinite number of models.
- BSM models usually attempt to solve one or more problems not addressed by the Standard Model. If explicitly embedded into a well-understood theoretical framework, they can claim to be "complete" in the same sense as the Standard Model.
- A complete BSM model means you can (in principle) predict its consequences for any observable, from cosmology to B physics to precision electroweak to LHC.

frameworks, models, scenarios

- Incomplete BSM models, which focus more narrowly on one phenomenon (e.g. getting a light Higgs, a large extra dimension, or a particular new source of CP violation) are sometimes more correctly called "scenarios".
- Complete BSM models are nowadays highly constrained by experimental data.
- BSM "scenarios" are harder to evaluate, but often make dramatic testable predictions.

major BSM frameworks

- Weak scale supersymmetry (SUSY):
 - Basic idea: Space-time symmetry relating particles of different spins, so every SM particle has a "superpartner".
 - SUSY is spontaneously broken, and SUSY breaking is connected to electroweak symmetry breaking. The superpartners get SUSY-breaking contributions to their masses of order ~100 to 1000 GeV.
 - Maximum energy scale considered: ~ 10^{19} GeV.

major BSM frameworks

- Little Higgs, Twin Higgs:
 - Basic idea: The Higgs is light because it is a pseudo-Goldstone boson of some weakly broken global symmetry.
 - In other words, the Higgs is light compared to some multi-TeV new physics scale, for the same reason that the pion is light compared to the mass of the proton.
 - Maximum energy scale considered: ~ 10 TeV.

dual BSM frameworks (AdS/CFT)

- New strong dynamics (Technicolor etc):
 - Basic idea: New strong gauge forces create fermion condensates that break electroweak symmetry and give masses to SM fermions; they also create new composite particles.
 - Maximum energy considered: ~ 1000 TeV.
 - Randall-Sundrum ("RS1") warped extra dimensions:
 - Basic idea: There is a 5th dimension of finite extent with strongly warped geometry, such that 10¹⁹ GeV at one end rescales to ~1 TeV at the other end. SM particles are localized in different places in the 5th dimension.
 - Maximum energy considered: ~ 10¹⁹ GeV

major BSM frameworks

- Universal Extra Dimensions (UED):
 - Basic idea: There is one or more flat extra dimensions with finite extent ~1/TeV.
 - SM particles are zero modes; each SM particle has a whole tower of heavier Kaluza-Klein partners.
 - Maximum energy scale considered: ~ 10 TeV.

major BSM frameworks

- Hidden Valleys (also "unparticles", some dark matter models,...):
 - Basic idea: The is a whole other "sector" of sub-TeV particles that couple only weakly to the SM particles.
 - This hidden sector has its own forces and symmetries.
 - Maximum energy scale considered: ~ 10 TeV.

- Experiments at LEP and elsewhere have measured a large number of electroweak observables with part-per-thousand accuracy.
- Taken together, these EWPT are sensitive to quantum effects of BSM physics above the TeV energy scale.
- Most SM extensions that you would write down, involving new particles and new tree-level interactions at scales of a few hundred GeV to a couple TeV, are ALREADY RULED OUT by existing data.
- New flavor-violating or CP violating interactions are even more constrained by data, up to ~1000 TeV in some cases (and even more for proton decay).

Most relevant electroweak quantum corrections:



a) SM "oblique" corrections to W,Z self-energies, from fermion loops.
b) SM "oblique" corrections from Higgs and from Higgs+top.
c) Loop corrections to the Zbb vertex.

- Many (but not all) new physics effects on electroweak observables can be parameterized in terms of the Peskin-Takeuchi variables S and T, which measure deviations in the W and Z self-energies.
- S and T are defined to be zero in the SM for some reference value of the Higgs mass, but can get O(1) contributions from new physics.
- Basically, S counts particles that get mass from EW symmetrybreaking...
- ... and T is sensitive to mass splittings within a weak doublet, and other SU(2)-breaking effects.



Very restrictive! But a little room to cancel Higgs against new physics.

- BSM models that are not already ruled out can be divided into three categories, according to how they manage to satisfy the (very tough!) EW precision constraints:
 - Models where symmetries forbid new tree-level effects and have cancellations between "partners" to suppress loop effects. Example: supersymmetry.
 - Models where the new particles are all very heavy (> 2,3,5,10 TeV) to suppress their EW effects. Examples: generic Randall-Sundrum, generic Little Higgs.
 - Models where some "accidental" cancellation is needed to improve the tension with EW data. Example: topcolor-assisted technicolor.

BSM models can be look-alikes

- Because there are a limited number of mechanisms to "hide" new physics from the constraints of current data, BSM models that have very different theoretical starting points can end up looking quite similar phenomenologically.
- This is accentuated by the desire among BSM model-builders to include a good dark matter candidate, usually leading to "missing energy" signatures as a dominant phenomenological prediction.
- It will be a great challenge to deduce a unique underlying theory from the discovery of a few new particles.

BSM physics at the LHC

- In these lectures I will concentrate on the possibility that pp collisions at the LHC will "break through" a threshold of new physics and produce new particles.
- the $\mathbf{Sp}\mathbf{\bar{p}S}$ did this at $\sqrt{\mathbf{s}} = 600$ GeV for the W and Z.
- the Tevatron did this at $\sqrt{s} = 1.8$ TeV for the top quark.

BSM physics at the LHC

• What this means in practice is that new particles will be produced "on-shell". $p^2 - p p^{\mu} \sim p^2$

$$\mathbf{p^2} \equiv \mathbf{p}_\mu \mathbf{p}^\mu \simeq \mathbf{m^2}$$

- LHC experiments may also detect virtual effects of new heavy particles beyond the reach of on-shell production, but I will discuss this only in passing.
- It is also possible to produce objects at the LHC that are not particles (in the usual sense), as I will discuss briefly.

how to make new particles at the LHC

- 1. s-channel resonance, with decay to a pair of SM particles, or to a pair of exotic particles, or to one of each.
- 2. associated production with a SM particle.
- 3. BSMsstrahlung.
- 4. pair production, with decay to SM particles, exotic particles, or a mixture of both.
- 5. produced in decays of heavy SM particles: top, Higgs.

















BSMsstrahlung



BSMsstrahlung



pair production, with decays to both SM particles and exotics





pair production, with decays to both SM particles and exotics



pair production, with decays to SM particles



pair production, with decays to SM particles



decay of SM particle into exotics



decay of SM particle into exotics



An example of looking for new physics at LHC: dijets

why dijets?

relatively simple (mostly bump hunting)

•well studied; e.g. full public analysis in CMS Physics Technical Design Report



Physics Performance Physics Technical Design Report, Volume II

what are dijets?

what kind of events belong to the dijet topology?

- •events should have at least two jets!
- •dijets with photons and/or missing transverse energy (MET) and/or 2 or more leptons belong to other topologies.
- dijet + single lepton + no MET violates lepton number, so is (presumably) a detector background.
- •multijets are part of "inclusive" dijets.
- •forward jets are a special case of dijets.

what are dijets?



dijet resonances

•appear as a bump in the dijet invariant mass plot

•could also appear as a rise or dip in the tail, but I will ignore this

•what are the observables?



dijet resonance observables

•cross section times branching fraction: $\sigma imes \Gamma_{
m jj}$

•mass

•requires E_T , η , ϕ and "jet mass" to make a jet 4-vector and thus to make a dijet invariant mass. •need jet corrections if you want extracted mass = physical mass.

•width

- for very broad resonances, hard to measure.
- •for narrow resonances, masked by dijet mass resolution:

$$rac{\sigma}{\mathbf{M}} \sim \mathbf{1.3} \sqrt{rac{1 \,\, \mathrm{GeV}}{\mathbf{M}}}$$

model-independent analysis of dijets?

•given these observables, why can't I just do a completely bottom-up model-independent analysis of any observed dijet resonance signal?

•then extract the mass and width of the resonance from a fit to the data.

•such an analysis would begin by writing down the (nearly) model-independent general formula for resonance production at a hadron collider:

near the resonant peak, ignoring interference effects, we can write:

$$\mathbf{M^2} \frac{\mathbf{d\sigma}}{\mathbf{dM^2}} = \int \mathbf{dx_1} \mathbf{dx_2} \frac{\kappa^2 \mathbf{\hat{s}}}{(\mathbf{\hat{s}} - \mathbf{M_0})^2 + \Gamma^2 \mathbf{M_0^2}}$$

$$\times \sum_{\mathbf{i},\mathbf{j}} \mathbf{Q_{i,j}^2} \mathbf{f_i}(\mathbf{x_1}) \mathbf{f_j}(\mathbf{x_2}) \left[\delta(\frac{\mathbf{M^2}}{\mathbf{s}} - \mathbf{x_1}\mathbf{x_2}) + \mathbf{D_{ij}}\left(\frac{\mathbf{M^2}}{\mathbf{\hat{s}}}, \alpha_{\mathbf{s}}\right) \right]$$

 $\mathbf{M}=~\text{dijet~invariant~mass}$

 $\mathbf{x_1}, \mathbf{x_2} = momentum fractions of the initial state partons$

 $\mathbf{f_i}(\mathbf{x_1}), \; \mathbf{f_j}(\mathbf{x_2}) = \; parton \; distribution \; functions$

 $\hat{\mathbf{s}} = \text{ partonic subprocess center of mass energy squared} = \mathbf{x_1} \mathbf{x_2} \mathbf{s}$

 $\mathbf{M_0},\ \Gamma=\mbox{ mass and width of the resonance}$

 $\kappa =$ overall coupling strength to the initial state quarks/gluons

 $\mathbf{Q}_{\mathbf{i},\mathbf{j}}=\ \mathbf{couplings}\ \mathbf{of}\ \mathbf{the}\ \mathbf{resonance}\ \mathbf{to}\ \mathbf{initial}\ \mathbf{state}\ \mathbf{partons}$

 $\mathbf{D}_{\mathbf{i},\mathbf{j}}=~\text{higher order QCD corrections}$

unknown inputs

$$\begin{split} \mathbf{M}^2 \frac{\mathrm{d}\sigma}{\mathrm{d}\mathbf{M}^2} &= \int \mathrm{d}\mathbf{x_1} \mathrm{d}\mathbf{x_2} \frac{\kappa^2 \hat{\mathbf{s}}}{(\hat{\mathbf{s}} - \mathbf{M}_0)^2 + \Gamma^2 \mathbf{M}_0^2} \\ & \times \sum_{\mathbf{i}, \mathbf{j}} \mathbf{Q}_{\mathbf{i}, \mathbf{j}}^2 \mathbf{f}_{\mathbf{i}}(\mathbf{x_1}) \mathbf{f}_{\mathbf{j}}(\mathbf{x_2}) \left[\delta(\frac{\mathbf{M}^2}{\mathbf{s}} - \mathbf{x_1} \mathbf{x_2}) + \mathbf{D}_{\mathbf{ij}} \left(\frac{\mathbf{M}^2}{\hat{\mathbf{s}}}, \alpha_{\mathbf{s}} \right) \right] \end{split}$$

what are the possible parton initial states?
what are possible color, weak and electric charges?
what is the spin of the resonance?

table of possible initial parton states, spins and charges for a dijet resonance

initial partons	spin	electric charge	color charge	weak charge
qq	0, 1, 2,	4/3, 1/3, -2/3	3, 6	0, 1
qg	1/2, 3/2,	2/3, -1/3	3, 6, 15	1/2
gg	0, 1, 2, 3,	0	1, 8, 10, 27	0
qq	0, 1, 2,	0, 1	1, 8	0, 1
bq, bg, b q				

~ 100 possibilities!

failure of bottom-up analysis@LHC

•Ignorance of parton initial state implies orders of magnitude uncertainty from parton distributions.

•This uncertainty is entangled with orders of magnitude uncertainty about couplings (strong, weak, em, other) and charges (note $\sigma \times \Gamma_{ii} \propto Q^4$).

•It helps if you can measure the width separately, since $\Gamma \propto \kappa M_0$, but in most cases width is too narrow to measure.

BSM models as templates for searches

•A wisely chosen spread of BSM theory models makes this problem managable.

•~10 models can do the work of 100's or 1000's or ∞

•Don't need to believe in any of them, though wellmotivated examples are to be preferred.

BSM models as templates for searches

•Choice of template models should be dictated by the observables and kinematics of the search channel...

•...not by your local theorist's biases, the latest fad, etc.

•A well-chosen set of template models applied to inclusive searches is probably as close as you can get to a model-independent discovery strategy

model templates for dijet searches



—	initial partons	spin	electric charge	color charge	weak charge
excited quark	qq	0, 1, 2,	4/3, <mark>1/3</mark> , -2/3	<mark>3,</mark> 6	0, 1
E6 diquark	qg	1/2, 3/2,	2/3, -1/3	<mark>3,</mark> 6, 15	1/2
techinrho	gg	0, <mark>1, 2,</mark> 3,	0	<mark>1, 8,</mark> 10, 27	0
RS graviton	qq	0, <mark>1,</mark> 2,	0, 1	1, 8	0, 1
$\mathbf{W}'_{\mathbf{SSM}}$	bq,				
$\mathbf{Z}'_{\mathbf{SSM}}$	bg, bq				

looks pretty good

model templates for discriminating signals

•We need to study not only our sensitivity to signals but also our ability to discriminate between different possible origins of the same signal.

•This means developing model templates that intentionally resemble in each other in a given channel.

•It means developing robust discriminating observables.

•Model templates allow us to study the correlations between signals in different channels: e.g. dijets versus dileptons and diphotons.

Summary of first lecture - I

- BSM "theory space" is vast, not well-mapped.
- Both experimental hints and deep theoretical problems point to new physics at high energies.
- BSM physics generally involves new particles, new symmetries, new forces, perhaps other new degrees of freedom.
- Major BSM frameworks:
 - Weak scale supersymmetry (SUSY)
 - Little Higgs
 - Universal extra dimensions (UED)
 - Randall-Sundrum warped models <=> Technicolor
 - Hidden Exotica

Summary of first lecture - II

- BSM models are very constrained by electroweak precision data (EWPT); can characterize models by how they escape these constraints.
- BSM models can be phenomenological look-alikes, even when their theoretical starting points are vastly different.
- Many, many different processes at LHC could produce new particles.
- Even "simple" LHC signatures, e.g. dijet resonances, are too complicated to analyze in a model-independent way.
- Need BSM models as "templates" for LHC experiments.
- Many interesting LHC signatures not yet studied sufficiently or at all.